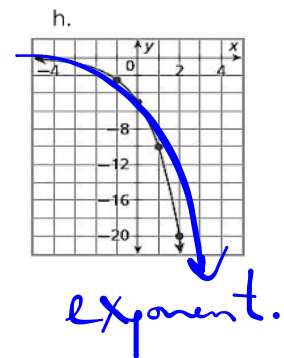
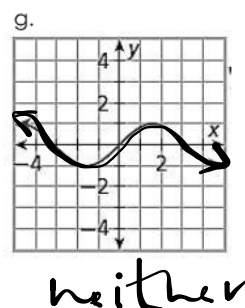
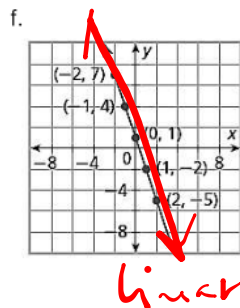
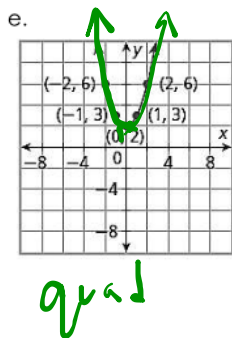
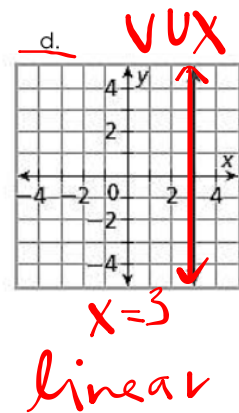
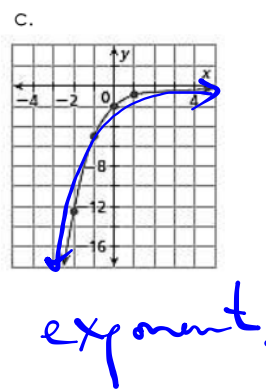
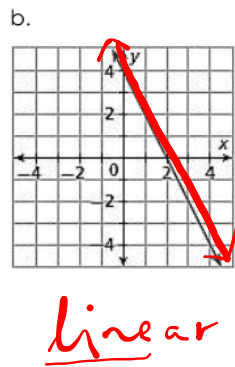
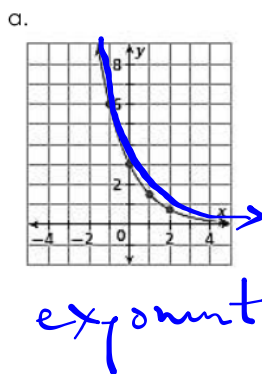


Identifying Types of Functions from a Graph

Quick Sketch		
Linear	Quadratic	Exponential

Determine if the following graphs represent an exponential function, linear function, quadratic function, or neither.



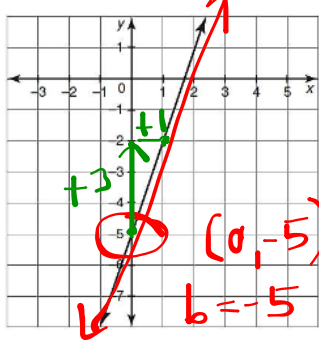
Algebra 1

Unit 11: Comparing Linear, Quadratic, and Exponential Functions

Notes

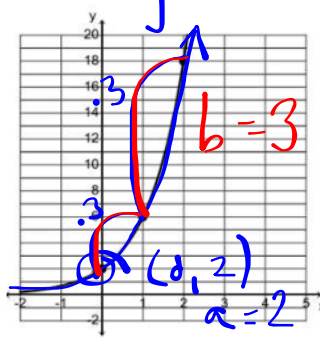
For each graph below, identify if it is linear, quadratic, or exponential. Then write an equation that represents it (by hand, or from using regressions).

a. Type: Linear
Equation: $y = 3x + -5$



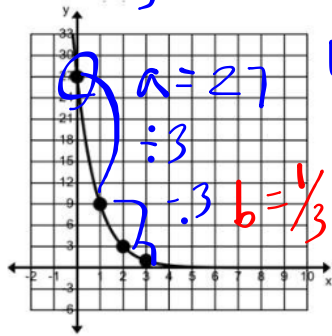
$y = mx + b$
y-int
 $m = \frac{\text{rise}}{\text{run}}$
 $m = \frac{3}{1} = 3$
 $b = -5$

b. Type: expon
Equation: $y = 2 \cdot 3^x$



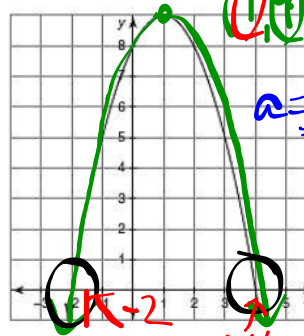
$y = a \cdot b^x$
y-int
ratio

e. Type: expon
Equation: $y = 27 \left(\frac{1}{3}\right)^x$



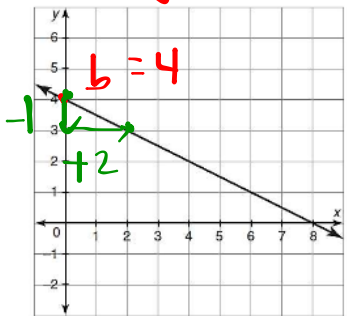
$y = a \cdot b^x$
 $a = 27$
 $b = \frac{1}{3}$

f. Type: quad
Equation: $y = -(x-1)^2 + 9$



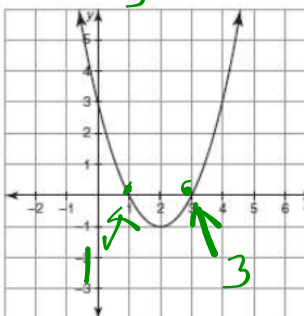
$y = a(x-h)^2 + k$
 $y = -(x-1)^2 + 9$
VERTEX
 $y = (x-)(x-)$
 $y = (x+2)(x-4)$

i. Type: linear
Equation: $y = -\frac{1}{2}x + 4$



$y = mx + b$
 $m = -\frac{1}{2}$
 $b = 4$

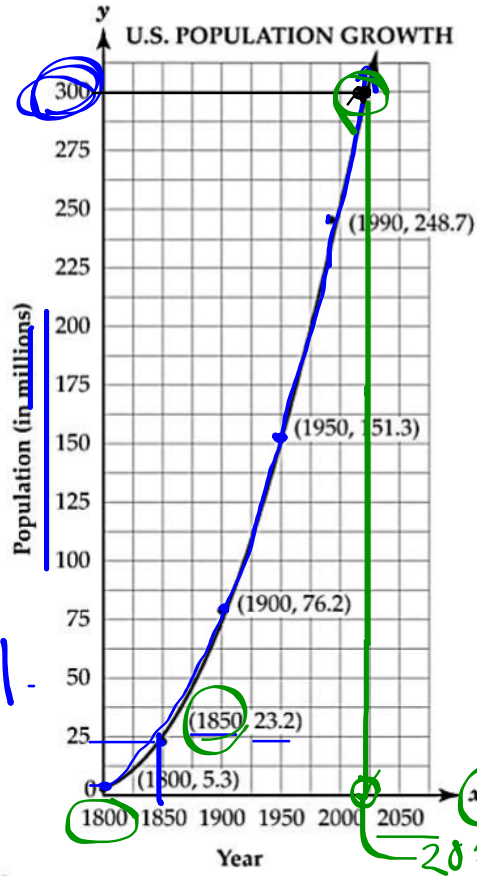
j. Type: quad
Equation: $y = (x-1)(x-3)$



$y = a(x-\#)(x-\#)$

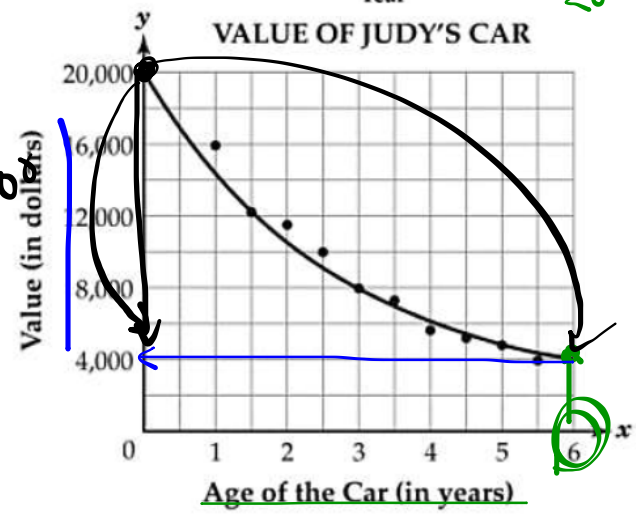
Algebra 1 Unit 11: Comparing Linear, Quadratic, and Exponential Functions Notes
Predicting with Scatterplots

a. The graph below shows the population growth for the United States since 1800. A curve of best fit has been drawn. According to the curve of best fit, in what year will the population be 300 million?



(x, y)
 yr \rightarrow x , pop. \rightarrow y
 $(2025, 300 \text{ mil})$ *
 yr \rightarrow 2025, pop. \rightarrow 300 mil.
 In year 2025, the US population will be approx 300 mil.

b. The scatterplot below shows the relationship between the age and value of Judy's car. According to the curve of best fit, how much would Judy's car have ~~decreased~~ increased in value when the car is 6 years old?



(x, y)
 age \rightarrow x , \$ \rightarrow y
 $(0, \$20,000)$
 $(6, \$4,000)$
 $-14,000$

x	y
0	20,000
6	4,000

It decreased \$16,000.