

Put away your cell phones

Take out your Unit 2 Notes

Take out your HW

SQUARE ROOT EXPRESSION

Directions: Use the digits 1 to 9, at most one time each, to fill in the boxes to make the following expression as close to 0 as possible.

$$\sqrt{\boxed{} - \sqrt{\boxed{} - \sqrt{\boxed{}}}$$

Hint

What are all the perfect square three digit numbers? Several of these can't be used since they contain a repeated digit (e.g. 121 uses the digit 1 twice and 144 uses the digit 4 twice)

[https://whenmathhappens.com/
2014/09/26/98-pizzas/](https://whenmathhappens.com/2014/09/26/98-pizzas/)

Day 2: Multiplying & Simplifying Radicals

'4' is the coefficient. Technically, 4 is being multiplied by $\sqrt{10}$.

radical symbol

'10' is the radicand. The radicand is the number "in the house".

A **radical** is any number with a radical symbol ($\sqrt{\quad}$).
 A **radical expression** is an expression (coefficients and/or variables) with radical.

inverse: $\#^2 \rightarrow \sqrt{\#}$

Square Root Table

Complete the table below.

1	2	3	4	5	6	7	8	9	10	x
1^2	2^2	9	16	25	36	49	64	81	100	x^2
$\sqrt{1}$	$\sqrt{4}$	$\sqrt{9}$	$\sqrt{16}$	$\sqrt{25}$	$\sqrt{36}$	$\sqrt{49}$	$\sqrt{64}$	$\sqrt{81}$	$\sqrt{100}$	$\sqrt{x^2}$
1	2	3	4	5	6	7	8	9	10	X

Perfect Squares are the product of a number multiplied by itself ($4 \cdot 4 = 16$; 16 is the perfect square).

Think about the process we just performed: **Number** \rightarrow **Squared It** \rightarrow **Took Square Root** \rightarrow **Same Number**

A root and an exponent are **inverses** of each other (they undo each other). Therefore, square roots and squaring a number are **inverses** or they undo each other, just like adding and subtracting undo each other.

When are Radical Expressions in Simplest Form?

A radical expression is in **simplest form** if:

- No perfect square factors other than 1 are in the radicand (ex. $\sqrt{20} = \sqrt{4 \cdot 5}$)

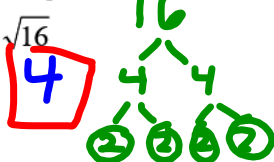
Simplifying Radicals

Guided Example: Simplify $\sqrt{108}$.

<p>Step 1: Find the prime factorization of the number inside the radical.</p>	
<p>Step 2: Determine the index of the radical. Since we are only talking about square roots, the index will be 2, which means we will circle all of our two of a kind.</p>	
<p>Step 3: Move each circled pair of numbers or variables from inside the radical to outside the radical. List your circled pair as just one factor outside the radical.</p>	
<p>Step 4: Simplify the expressions both inside and outside the radical by multiplying.</p>	

Practice:

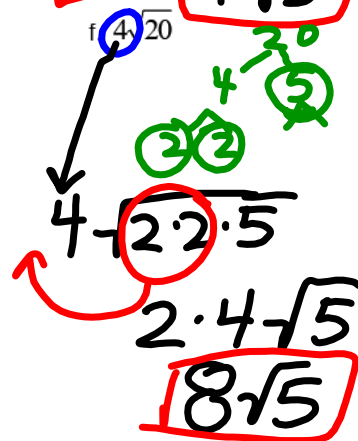
a. $\sqrt{16}$



$\sqrt{2 \cdot 2 \cdot 2 \cdot 2}$

$2 \cdot 2 \sqrt{\quad}$

e. $3\sqrt{96}$



b. $\sqrt{48}$

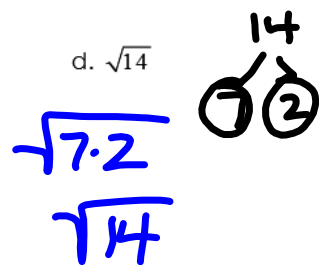


$\sqrt{2 \cdot 2 \cdot 2 \cdot 2 \cdot 3}$

$2 \cdot 2 \sqrt{2 \cdot 3}$

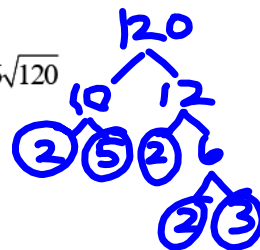
$4 \sqrt{6}$

c. $\sqrt{28}$



d. $\sqrt{14}$

g. $6\sqrt{120}$



h. $2\sqrt{36}$

$2 \cdot 6$

12

Multiplying Radicals

The product property of radicals states the square root of a product equals the product of the square roots of the factors.

$$\sqrt{ab} = \sqrt{a} \cdot \sqrt{b} \text{ where } a \geq 0 \text{ and } b \geq 0$$

$$\sqrt{4 \cdot 5} = \sqrt{4} \cdot \sqrt{5}$$

When multiplying radicals, follow the following rules:

Multiplying Radicals - RULE

1. Multiply the outside *coefficients* together.
2. Multiply the inside # together.
3. Simplify the radical.

Practice: Multiply the following radicals. Make sure they are in simplest form.

a. $\sqrt{2} \cdot \sqrt{18}$

b. $\sqrt{5} \cdot \sqrt{10}$

c. $\sqrt{8} \cdot \sqrt{32}$

$$\sqrt{2 \cdot 18}$$

$$\sqrt{36}$$

$$\boxed{6}$$

d. $4\sqrt{6} \cdot 4\sqrt{6}$

$$4 \cdot 4 \sqrt{6 \cdot 6}$$

$$16 \sqrt{36}$$

$$16 \cdot 6$$

$$\boxed{96}$$

e. $\sqrt[3]{16}$

$$\frac{2 \cdot 2 \cdot 2}{96}$$

f. $6\sqrt{15} \cdot \sqrt{10}$

$$6 \cdot 3 \sqrt{6 \cdot 8}$$

$$18 \sqrt{48}$$

$$18 \sqrt{16 \cdot 3}$$

$$18 \cdot 4 \sqrt{3}$$

$$72 \sqrt{3}$$

$$\cancel{-3 \sqrt{2 \cdot 2 \cdot 2 \cdot 3}}$$

$$2 \cdot 2 \cdot 3 \sqrt{3}$$

$$\boxed{-12 \sqrt{3}}$$

